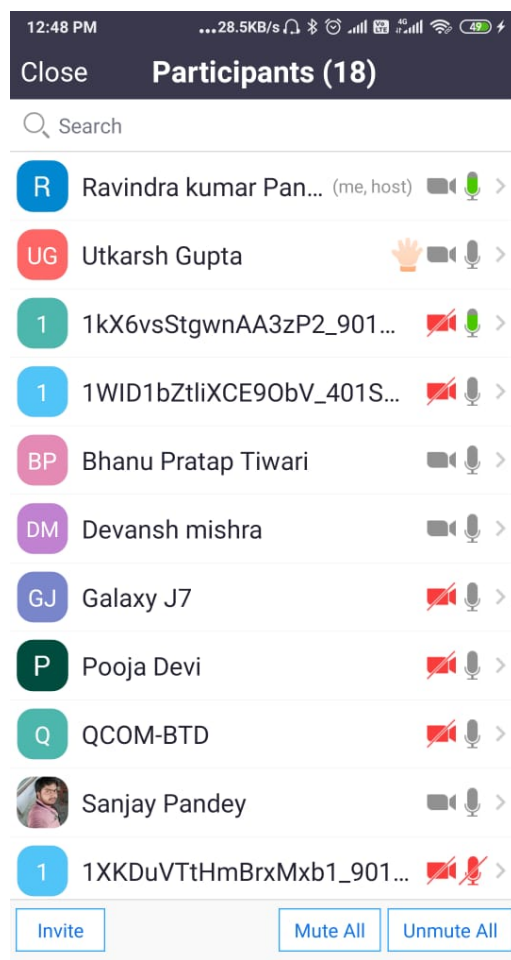


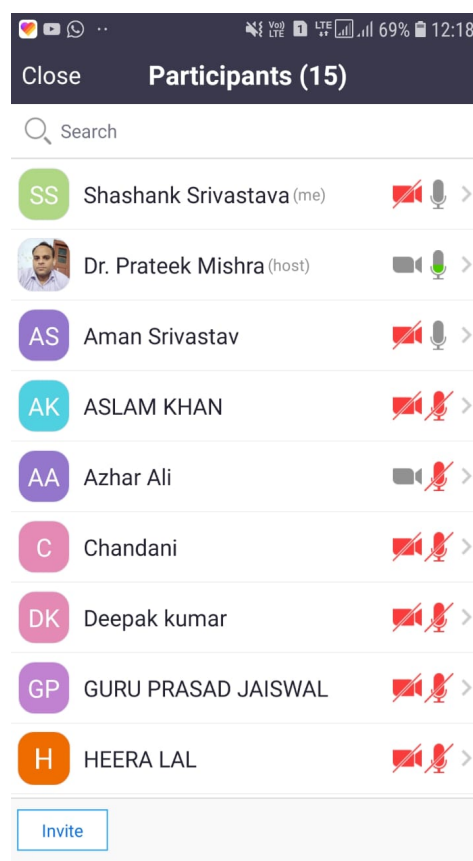
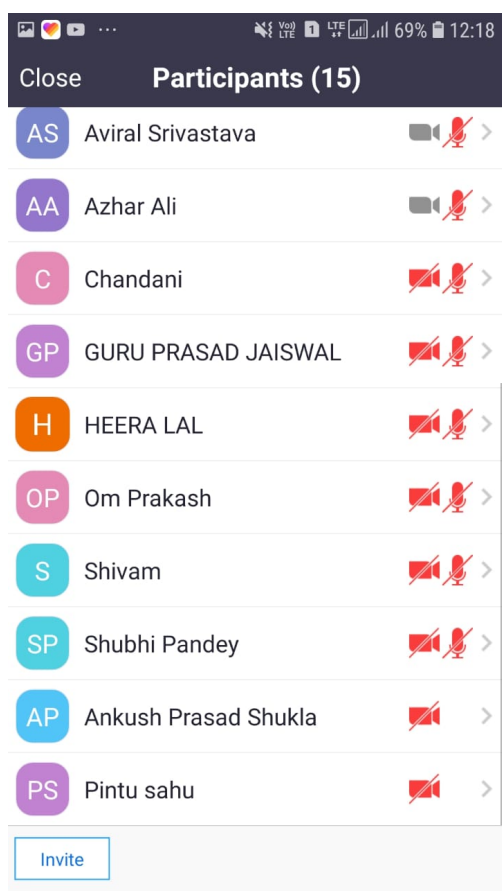
M.L.K.P.G. College, Balrampur
Online classes
Faculty of Science

1. Department- Botany
2. Class- MSc 2 and 4th semester
3. Name of the Teacher- Dr R K Pandey
4. Date.19.04.2020. Time- 11:45- 01:30 P.M.
5. Topic- structure of chromosome, karyotype, ideogram, heterochromatin and euchromatin, repetitive DNA, Satellite DNA, banding technique of DNA. Attachments area
6. No of Participating Student-18



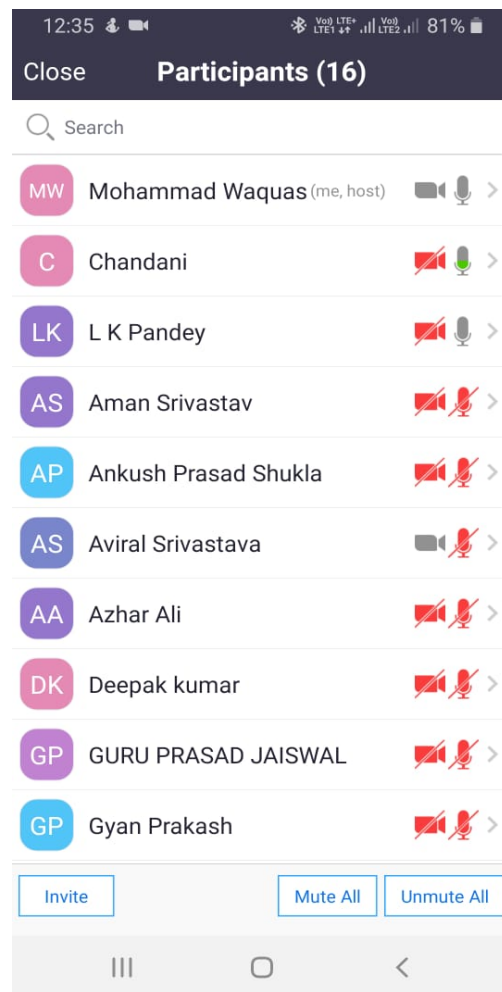
M.L.K.P.G. College, Balrampur
Online classes
Faculty of Science

1. Department- Mathematics
2. Class- M.Sc.II semester(Mathematics), paper III
3. Name of the Teacher- Dr.Prateek Mishra
4. Date.19.04.2020. Time- 11:45- 12:25 P.M.
5. Topic- , Partial Differential Equations, has been conducted
6. No of Participating Student-15



M.L.K.P.G. College, Balrampur
Online classes
Faculty of Science

1. Department- Mathematics
2. Class- M.Sc. IInd Semester 1st Paper
3. Name of the Teacher- Mohd. Waquas Khadim
4. Date.19.04.2020. Time- 12:20- 01:00 P.M.
5. Topic- , Homomorphism in Module Theory
6. No of Participating Student-15



Faculty of Science

The faculties of physics Deptt Dr Alok Shukla, Dr. Amrendra Singh, DDTiwari, Nivedita, Priya & Usman Gani provided study materials online for MSc 2nd and 4th semester students today itself.

(6)

$\tau = n \log_e \left[V T^{3/2} C \right]$

Where $C = \left(\frac{2\pi m k}{h^2} \right)^{3/2} = \text{constant}$

$\tau = n \left[\log_e V + \log_e T^{3/2} + \log_e C \right]$

$\tau = n \left[\log_e V + \frac{3}{2} \log_e T + \log_e C \right]$

Therefore thermodynamical entropy S is given by:-

$$S = k \tau = k n \left[\log_e V + \frac{3}{2} \log_e T + \log_e C \right]$$

Consider 2-subsystem having entropy S_A, S_B , temp T_A, T_B & volume V_A, V_B , total num. of particles N_A, N_B with volume V_A, V_B

S_A	S_B
T_A	T_B
N_A	N_B
V_A	V_B

I II

Date: _____
Page: _____

$$= n \log_e \left[\left(\frac{V/n}{h^3} \right) \left(\frac{4\pi m}{3} \right)^{3/2} e^{5/2} \left(\frac{E}{n} \right)^{3/2} \right]$$
$$= n \log_e \left[\left(\frac{E/n}{h^3} \right)^{3/2} \left(\frac{V/n}{h^3} \right) \left(\frac{E/n}{h^3} \right)^{3/2} \right] + n \log_e e^{5/2}$$
$$= n \log_e \left[\left(\frac{4\pi m}{3h^3} \right)^{3/2} \left(\frac{V}{n} \right) \left(\frac{E}{n} \right)^{3/2} \right] + \frac{5n}{2}$$

In the above equation V/n is volume per particle & E/n is energy per particle & hence ψ is additive
the thermodynamical entropy is given by :-

$$S = k \psi$$
$$S = nk \log_e \left[\left(\frac{4\pi m}{3h^3} \right)^{3/2} \left(\frac{V}{n} \right) \left(\frac{E}{n} \right)^{3/2} \right] + \frac{5nk}{2}$$

Above eqn is known as Sackur Tetrode Equation.

Gibb's Paradox :-

The entropy ψ in statistical equilibrium is given by :-

$$\psi = \log \Delta T$$

to make it dimensionless we divide ΔT by $h^{2/3}$ ∴

$$\tau = \log_e \frac{\Delta T}{h^{2/3}}$$

$$\Delta T = \left[\frac{\sqrt{n} \lambda^{3n/2} (2mE)^{3n/2}}{1.37^n} \right]$$

therefore $\tau = \log_e \left[\frac{\sqrt{n} \lambda^{3n/2} (2mE)^{3n/2}}{1.37^n h^{2/3}} \right]$

since $1.37^n = (2\pi/e)^{3n/2}$

therefore $\tau = \log_e \left[\frac{\sqrt{n} \lambda^{3n/2} (2mE)^{3n/2}}{(3\pi/2)^{3n/2} h^{2/3}} \right]$

$$\tau = \log_e \left[\frac{\sqrt{n} \lambda^{3/2} (2mE)^{3/2}}{(3\pi/2e)^{3/2} h^{2/3}} \right]^{3n}$$

$$\tau = n \log_e \left[\frac{\sqrt{n} \lambda^{3/2} (2m \cdot \frac{3}{2} e K T)^{3/2}}{(3\pi/2e)^{3/2} h^{2/3}} \right]$$

$$\tau = n \log_e \left[\frac{\sqrt{n} \lambda^{3/2} (2\pi K T n)^{3/2}}{(3\pi/2e)^{3/2} h^{2/3}} \right]$$

$$\tau = n \log_e \left[\frac{\sqrt{n} \lambda^{3/2} (2\pi K T n)^{3/2}}{(n)^{3/2} h^{2/3}} \right]$$

$$\tau = n \log_e \left[\frac{\sqrt{2\pi e m K T}}{h^{2/3}} \right]^{3/2}$$

$$\tau = n \log_e \left[\frac{\sqrt{2\pi e m K T}}{h^{2/3}} \right]^{3/2} T^{3/2}$$

7

for first system :-

$$S_a = k n_a \left[\log V_a + \frac{3}{2} \log T_a + \log c \right] \quad (2)$$

for second system :-

$$S_b = k n_b \left[\log V_b + \frac{3}{2} \log T_b + \log c \right] \quad (3)$$

Adding eqn (2) & eqn (3) we get :-

$$S_a + S_b = k (n_a + n_b) \left[\log V_a + \frac{3}{2} \log T_a + \log c \right. \\ \left. + \log V_b + \frac{3}{2} \log T_b + \log c \right] \quad (4)$$

If $n_a = n_b = n$, $V_a = V_b = V$, & $T_a = T_b = T$
Then above eqn becomes :-

$$S_a + S_b = 2nk \left[\log V + \frac{3}{2} \log T + \log c \right]$$

Consider these two units - systems as one system having temp "T" sum of particles $2n$ & volume $= 2V$

Sub
T
 $2n$
 $2V$

↓
System

$V_1(R) = \frac{4}{3} \pi R^3$
 $V_2(R) = \frac{\pi R^2}{\sqrt{1+\frac{1}{4}}}$

$V_3(R) = \frac{\pi R^2}{\sqrt{1+\frac{1}{4}}} R^3$

$V_3(R) = \frac{\pi R^2}{\sqrt{1+\frac{1}{4}}} R^3 = \frac{V_2(R)}{R^2} R^3 = V_2(R) R$

$E = \frac{2}{3} \left(\frac{V_2}{V_1} \right) \frac{V_1}{R^2} R^3$

$$\int dp_1 \cdot dp_2 \cdot \dots \cdot dp_{3n} = \frac{\pi^{3n/2}}{\sqrt{3n/2}} \left[p^{3n} - (p-\Delta p)^{3n} \right]$$

$$\text{since } p = \sqrt{2mE}$$

$$\text{thus, } \int dp_1 \cdot dp_2 \cdot \dots \cdot dp_{3n} = \frac{\pi^{3n/2}}{\sqrt{3n/2}} \left[(2mE)^{3n/2} - (2m(E-\Delta E))^{3n/2} \right]$$

$$\int dp_1 \cdot dp_2 \cdot \dots \cdot dp_{3n} \frac{\pi^{3n/2}}{\sqrt{3n/2}} \left[(2mE)^{3n/2} - (2m(E-\Delta E))^{3n/2} \right]$$

$$= \frac{\pi^{3n/2}}{\sqrt{3n/2}} (2mE)^{3n/2} \left[1 - e^{-3n/2 \cdot \Delta E/E} \right]$$

since $3n/2 \cdot \Delta E \gg E$ therefore we can drop the exponential term in comparison to (1)

$$\left\{ \right\} = \frac{\pi^{3n/2}}{\sqrt{3n/2}} (2mE)^{3n/2} \left\{ - \right\} \quad (3)$$

Using eqn (2) & (3) in eqn (1) we get:

$$\Delta F = V^m \frac{\pi^{3n/2}}{\sqrt{3n/2}} (2mE)^{3n/2} \left\{ - \right\} \quad (4)$$

UNIT 2nd
Entropy & Ideal gas

Sackur Tetrode Equation :-

Let us consider micro canonical ensemble of perfect gas. let n be the point particle of gas m in a volume q which total energy ΔE .

The corresponding volume in the phase space explain by

$$\Delta T = \int dq_1 dq_2 \dots dq_{3N} \int dp_1 dp_2 \dots dp_{3N}$$

Now integral. ①

$$\int dq_1 dq_2 \dots dq_{3N} = \int dx_1 dy_1 dz_1 \int dx_2 dy_2 dz_2 \dots \int dx_n dy_n dz_n$$
$$= V^n \quad \text{②}$$

for evaluating the integral $\int dq_1 dq_2 \dots dq_{3N}$ we draw $3N$ -dimensional hyper sphere of radius $p = dp$ and p .

The volume of a sphere is given value of a above integral.

M.L.K.P.G. College, Balrampur
Online classes
Faculty of B.Ed.

1. Department- B.Ed.
2. Class- B.Ed. 1st year
3. Name of the Teacher- Dr. Shri Prakash Mishra
4. Date.19.04.2020. Time- 11:45- 12:45 P.M.
5. **TOPIC-** Measurement of Personality
Area covered under this topic-
 1. Observation Method of Personality Measurement
 2. Interview Method of Personality Measurement
 3. Questionnaire Method of Personality Measurement
 4. Case History Method of Personality Measurement
 5. Projective Method of Personality Measurement
- 6- No of Participating Student-24

